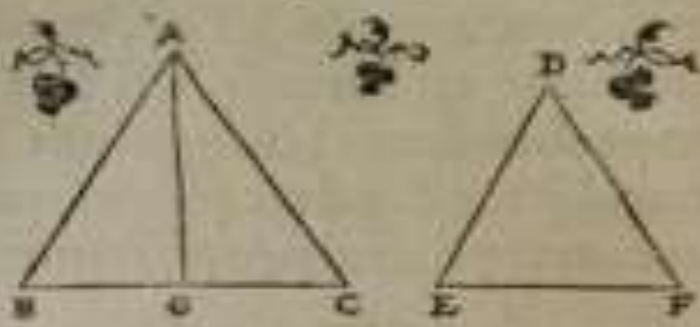


ἑστὶν ἡ ἀνομοιογένεια τριῶν ἀλλήλων εἰς διπλασίονα
 ὁμοιογένειαν ἢ ὁμοιογένειαν πλοῦτον
 Theor. 13. Propo. 19.

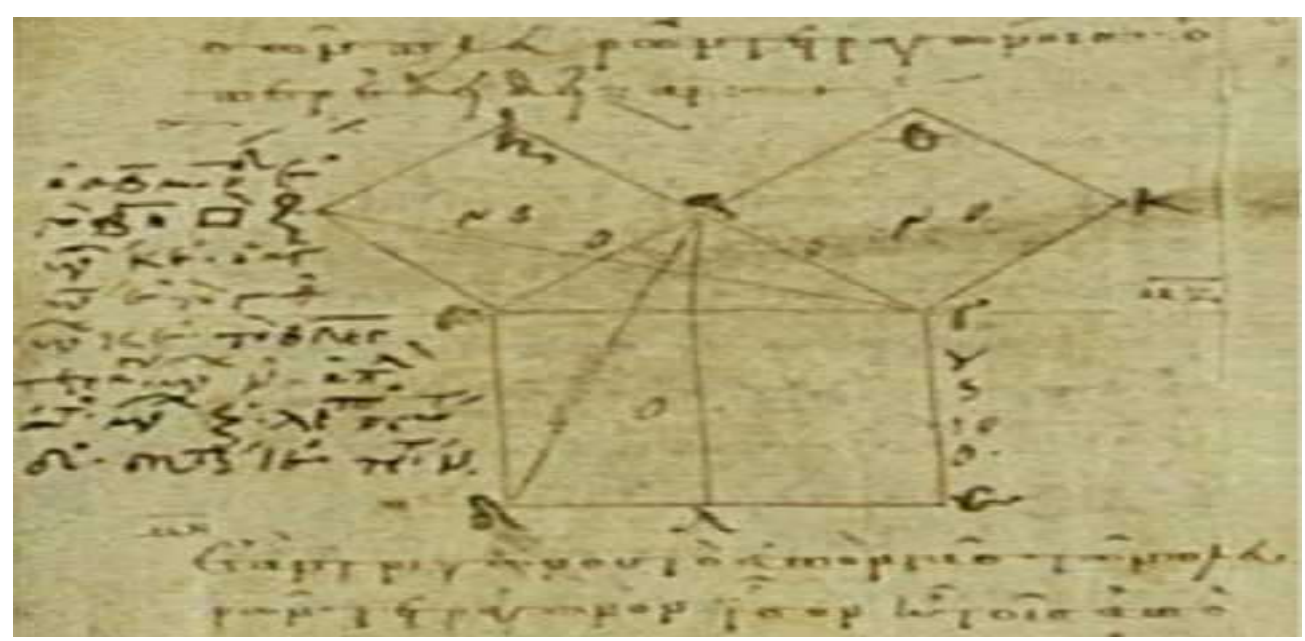
Similia tri-
 angula in-
 ter se sunt
 in duplica-
 ta ratione
 laterū ho-
 mologorum.



nume-
 ro aqua-
 lia, & ho-
 mologato
 mologato
 Et po-
 lygona du-
 plicatam



quadrilateros duplicatam
 rationem
 laterū ad similes rationem
 duplicatam
 laterū autem hoc in similibus
 quadrilateris oblatum quod in
 similibus lateribus autem hoc in similibus

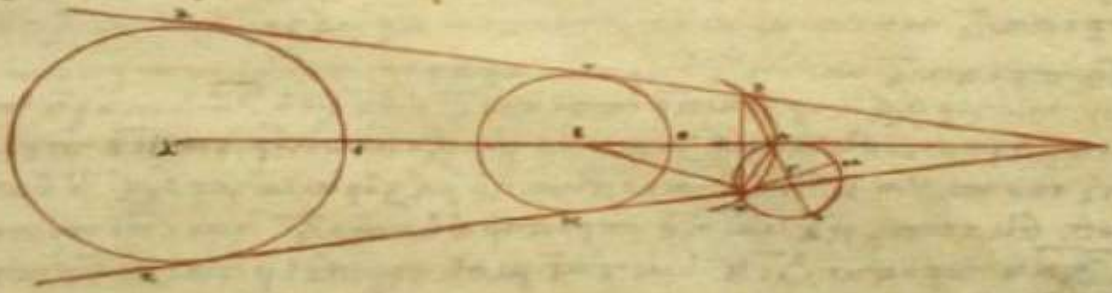


$\rho(x)$
 $\rho(x) = \dots$
 $\rho = \frac{n!}{(n-n)!} = \frac{n!}{0!}$
 $\tilde{C}_n^m = P_{m, n-1} = \dots$
 $(a+b)^n = C_n^0 a^n$
 $\lim_{N \rightarrow \infty} \frac{n}{N} = \dots$
 $\epsilon = \pi r^2 + \frac{p v^2}{2}$
 $N = \frac{4\pi \epsilon_0 r^2 m^2}{m Z e^2}$
 $A_n^r = n \cdot (n-1) \cdot (n-2) \cdot \dots \cdot (n-r+1) n! \approx \left(\frac{n}{e}\right)^n \sqrt{2\pi n}$
 $D_r = \sum$

$\rho(x)$
 $\phi(\ln x) d(\ln x) = \frac{1}{\sqrt{2\pi\sigma}} e^{-\frac{(\ln x - a)^2}{2\sigma^2}} d(\ln x)$
 $\langle v \rangle t$
 $C = \frac{\epsilon \epsilon_0 S}{d}$
 $D_r = \sum p_i (x_i - v_i)^2$
 $\phi(x) = \frac{1}{\sigma\sqrt{2\pi}} e^{-\frac{x^2}{2\sigma^2}}$
 $F = G \frac{m_1 m_2}{r^2}$
 $S = v_0 t + \frac{a t^2}{2}$

Τα ὅμοια πολύγωνα εἰς τὰ ὅμοια τρίγωνα διαιρεῖται
 πρῶτον, καὶ εἰς ἕνα τὸ πλῆθος, καὶ ἐμόλογον τῆς ἑλπίδος, καὶ
 εἰς ἕνα τὸ πλῆθος, καὶ ἐμόλογον τῆς ἑλπίδος, καὶ
 εἰς ἕνα τὸ πλῆθος, καὶ ἐμόλογον τῆς ἑλπίδος.
 Theor. 14. Propo. 20.
 Similia polygona in similia triangula dividuntur,
 in similia triangula dividuntur,

ὅταν φέρω αὐτὸν ἡμικύκλιον καὶ τὸν φέρω τα αὐτὴν τὴν ἀμείνου τοῦ
 διορίζου τοσ βῆτι. ὁ βῆτι ἡ τῆ σὶν βροῦ καὶ τὸ λαμπαροῦ τῆ σὶν
 ἀμείνου τῆ σὶν ὁ βῆτι ἡ βλαστωῦ μῆτρον ἡ βῆτι ἡ βῆτι ἡ βῆτι ἡ βῆτι
 ἡ ὄρ τῆ πῆ τῆ σὶν μῆ: 9



ὅταν αὐτὸν ἡμικύκλιον μῆτρον ἡ γῆτος ἀπὸ τοῦ αὐτῆ καὶ βῆ τῆ σὶν
 πῆ τῆ σὶν ἡ γῆ τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν
 μῆτρον ἡ γῆ τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν τῆ σὶν

ὅταν αὐτὸν φέρω αὐτὸν ἡμικύκλιον καὶ τὸν φέρω τα αὐτὴν τὴν ἀμείνου τοῦ
 διορίζου τοσ βῆτι. ὁ βῆτι ἡ τῆ σὶν βροῦ καὶ τὸ λαμπαροῦ τῆ σὶν
 ἀμείνου τῆ σὶν ὁ βῆτι ἡ βλαστωῦ μῆτρον ἡ βῆτι ἡ βῆτι ἡ βῆτι ἡ βῆτι
 ἡ ὄρ τῆ πῆ τῆ σὶν μῆ: 9

ὅταν αὐτὸν φέρω αὐτὸν ἡμικύκλιον καὶ τὸν φέρω τα αὐτὴν τὴν ἀμείνου τοῦ
 διορίζου τοσ βῆτι. ὁ βῆτι ἡ τῆ σὶν βροῦ καὶ τὸ λαμπαροῦ τῆ σὶν
 ἀμείνου τῆ σὶν ὁ βῆτι ἡ βλαστωῦ μῆτρον ἡ βῆτι ἡ βῆτι ἡ βῆτι ἡ βῆτι
 ἡ ὄρ τῆ πῆ τῆ σὶν μῆ: 9